# Random gluing polygons. 

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We consider an oriented closed surface obtained by randomly glued $n$ polygons along their sides. The total number of sides are supposed to be an even number $N$ and the resulting surface can be encoded by a random permutation $\gamma$ of $[N]$. We show that $\gamma$ is distributed asymptotically (as $N \rightarrow \infty$ ) uniformly among either even or odd permutations depending on parities of $N$ and $n$. Then we study the distribution of the genus of the surface obtained and show that asymptotically it is normal Gaussian distribution with mean $(N / 2-n-\log N) / 2$ and variance $(\log N) / 4$. This is a joint work with Boris Pittel.

