

# Titles and Abstracts

## For Workshop

### **Ruth Charney:**

- I. *An introduction to Artin groups (all types)*
- II. *Right-angled Artin groups* iii. *Automorphisms of right-angled Artin groups*

**Mike Davis:** *Some basic facts about Coxeter groups*

### **Jan Dymara:**

- I. *Definitions and examples*
- II. *Geometric structures on buildings*
- III. *Topology at infinity*

### **Bertrand Rémy:**

- I. *Tits systems and refined group combinatorics*
- II. *Twin building lattices*
- II. *Simplicity, rigidity and non-distortion for building lattices*

### **Karen Vogtmann:**

- I. *Outer space:* I will give the basic construction of Outer space, which plays the role for  $\text{Out}(F_n)$  that a homogeneous space plays for lattices, or Teichmüller space for mapping class groups
- II. *Rigidity of  $\text{Out}(F_n)$ :* I will discuss how  $\text{Out}(F_n)$  compares with lattices in Lie groups, and in particular how to prove some rigidity properties of  $\text{Out}(F_n)$
- III. *Cohomology of  $\text{Out}(F_n)$ :* I will show how to use Outer space to compute the cohomology of  $\text{Out}(F_n)$ , explain the construction of various cocycles and talk about open questions.

## For Conference

**Giovanni Gandini:** *An algebraic obstruction for HF-membership*

**Boris Okun:** *The Strong Atiyah Conjecture for RA Artin and Coxeter groups.*

The Strong Atiyah Conjecture predicts possible denominators for the  $L^2$  Betti numbers for groups with torsion. I will explain some of the ingredients of its proof for RA Artin and Coxeter groups. (Joint with P. Linnell and T. Schick.)

**Piotr Przytycki:** *Twist rigid Coxeter groups.*

This is joint work Pierre-Emmanuel Caprace. We prove that in a twist rigid Coxeter group angle-compatible Coxeter generating sets are conjugate. This solves the isomorphism problem for Coxeter groups in the twist rigid case. We will outline the method based on "good markings" and "moves".

**Anne Thomas:** *Infinite generation of non-cocompact lattices on right-angled buildings.*

Let  $\Gamma$  be a non-cocompact lattice on a right-angled building  $X$ . Examples of such  $X$  include products of trees, or Bourdon's building  $I_{p,q}$ , which has apartments hyperbolic planes tessellated by right-angled  $p$ -gons and all vertex links the complete bipartite graph  $K_{q,q}$ . We prove that if  $\Gamma$  has a strict fundamental domain then  $\Gamma$  is not finitely generated. The proof uses a topological criterion for finite generation and the separation properties of subcomplexes of  $X$  called tree-walls. This is joint work with Kevin Wortman.

**Stefan Witzel:** *Finiteness properties of  $S$ -arithmetic groups.*

The topological finiteness properties  $F_n$  generalize the properties of being finitely generated ( $= F_1$ ) and being finitely presented ( $= F_2$ ). A group that is of type  $F_n$  but not of type  $F_{n+1}$  is said to have finiteness length  $n$ . An important class of groups with finite finiteness length consists of almost simple  $S$ -arithmetic groups over global function fields. During 50 years of study it became apparent that the finiteness length of these groups depends in a certain way of the rank as well as of the number of places (namely, that it equals the dimension of the associated Euclidean building minus one). This so-called Rank Conjecture has recently been proved and I will talk about some aspects of its proof.